

## How does Loan-to-Value Policy Strengthen Banks' Resilience to Property Price Shocks: Evidence from Hong Kong

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- What should be the optimal target of LTV policy (i.e. limiting LTV caps) in pursuing banking stability?
  - Property prices
  - Household leverage
  - Credit growth

- Main Findings:
  - Very limited policy transmission through property markets
  - The main policy impact is transmitted through household leverage rather than credit growth

#### Road map



- A brief overview of MPPs in HK
- Effectiveness of LTV policy from a historical perspective
- The impact of LTV policy on property prices
- The impact of LTV policy on household leverage (direct impact) and credit growth (indirect impact)
  - Econometric evidence
  - Actual scenario (with LTV policy tightening) and Counterfactual scenario (without tightening)
  - Default risk of two scenarios under severe macro stress
  - The contributions of the direct and indirect impacts

### A brief overview of MPPs in HK



- 1. By HKMA
  - 1. LTV ratio caps since 1991
  - 2. Debt-serving ratio (DSR) limits, and stress-testing DSRs
  - 3. Maximum tenor of 30 years for mortgage loans
  - 4. A risk-weight floor of 15% for mortgage loans for banks adopting IRB
  - 5. Regulatory reserves
  - 6. Stable funding requirement since 2014
- 2. By HKSAR government
  - 1. Special stamp duties (SSD) since Nov 2010
  - 2. Buyer stamp duties (BSD) since Oct 2012
  - 3. Double stamp duties (DSD) since Feb 2013

### History of LTV policy in HK



# Effectiveness of LTV policy in past episode of property market downturn





Note: Delinquency ratios are computed based on those past due 30 days or more. Sources: HKMA and Rating and Valuation Department

# How far the LTV policy is transmitted through the property market?



### Transmission Channels of LTV policy



Source: A simplified version of graph 3.3. from CGFS (2012), "Operationalising the selection and application of macroprudential instruments", CGFS Paper no. 48

# Econometric evidence of <u>the direct effect</u>: How do LTV caps reduce the average LTV ratio in the market



### Long-run determinants of the market LTV ratio

 $\Pi_{t}^{LTV} = LTV_{t} - (0.605 + 0.326 * LTVcap_{t} + 0.285 * Proreturn_{t} + 1.436 * Proyield_{t}$ [14.3] [16.2] [2.91] [6.11]  $-0.696 * DSR_{t})$ [-6.83]

*Adj.*  $R^2 = 0.77$ 

Contribution of main factors to change in the market LTV ratio







An econometric model for the indirect effect



- 1. Model characteristics
  - a) Allowing for disequilibrium (standard assumption, Stiglitz and Weiss, 1981)
  - b) Demand and supply models (as LTV policy may affect both the demand and supply of mortgages)
  - c) Relevant MPP variables are included in the equations as control variables
- 2. Estimation results

a)  $Q^{D} = f(LTV, r, special stamp duties, DSR limit, unemployment rate)$ 

b)  $Q^{S} = f(LTV, RAROC(r), house price growth, deposit growth, <math>\downarrow DSR$  limit)



#### Estimated supply of mortgage loans

Estimated demand for mortgage loans



### Default risk analysis



- **1.** Actual scenario: actual data of LTV and new mortgage loans
- 2. Counterfactual scenario: based on the estimated LTV and new mortgage loans assuming no LTV policy tightening
- 3. Comparing the default risk under the two scenarios with the following macro shocks
  - 1. Mortgage interest rates increase by 300 basis points
  - 2. Property prices drop by 60%
  - 3. Household income decreases by 20%
  - 4. Unemployment rate increases to 8.5%From 2013Q1 to 2014Q4
- 4. Analysis the contribution of the direct and indirect impacts

# Estimated LTV ratios for selected vintage months under the actual scenario with property price shocks



# Estimated LTV ratios for selected vintage months under the counterfactual scenario with property price shocks



### Contribution of direct and indirect effects



$$P_{t}^{NE} = \frac{\sum_{k=1}^{t} N_{k} \overline{L}_{k,t} I(\overline{ltv}_{k,t} > 1)}{\sum_{k=1}^{t} N_{k} \overline{L}_{k,t}}$$

- $P_t^{NE}$  = Proportion of mortgage loans with negative equity (NE)
- $N_k$  = Number of mortgage loans underwritten at time k
- $\overline{L}_{k,t}$  = Average loan amount outstanding at time *t* for those that were underwritten at time *k*
- $I(ltv_{k,t} > 1)$  = Indicator function for LTV ratio > 1 (i.e NE) at time *t* for those underwritten at time *k*
- The direct impact will be captured by a smaller number of time points with NE
- The indirect impact will be captured by a lower  $N_k \overline{L}_{k,t}$  during the upcycle of property markets.



$$\ln(Ploan_t) = \alpha_0 + \alpha_1 P^{NE} + \alpha_2 (U + (1 - U) * P^{DSR}) + \varepsilon$$

- $Ploan_t$  = Delinquency and rescheduled ratios for mortgages at t
- *U* = Unemployment rate
- $P^{DSR}$  = Proportion of mortgage loans with DSR > 0.6

$$\ln(Ploan_t) = -6.803 + 6.293 * P_t^{NE} + 2.317 * (U_t + (1 - U_t) * P_t^{DSR})$$
  
[-55.8] [16.2] [9.73]  
Adj. R<sup>2</sup> = 0.63 Sample : Jun 1998 - Dec 2012

[Figures in brackets are t-statistics]



Table 2: Estimated non-performing ratio of mortgage loans with a hypothetical severe property price shock

Estimated non-performing loan ratio at end-2014 (%)				
Actual scenario (A)	0.95%			
Counterfactual "no policy" scenario (B)	2.32%			
(A) - (B)	-1.37%			

Decomposition analysis	Estimated non-performing loan ratio at end-2014 (%)
1) Actual scenario (both the direct and indirect effects)	$d_A = 0.95$
2) Only the direct effect	$d_{NI} = 0.98$
3) Only the indirect effect	$d_{ND} = 2.03$
4) Counterfactual "no policy" scenario	$d_{\rm C} = 2.32$

#### References:



- Wong, T. C., Fong, T., Li, K. F., & Choi, H. (2011). Loan-to-Value Ratio as a Macroprudential Tool Hong Kong's Experience and Cross-Country Evidence, HKMA Working Paper (no. 01/2011).
- Wong, T.C., Tsang, A., & Kong, S. (2016). How Does Loan-To-Value Policy Strengthen Banks' Resilience to Property Price Shocks – Evidence from Hong Kong. International Real Estate Review, 19(1) 120-149.





#### Indirect effect: An empirical study



$$DD_{t} = \alpha_{0} + \alpha_{I} X_{It}^{D} + \alpha_{2} r_{t} + \mu_{t}^{D}$$
$$SS_{t} = \beta_{0} + \beta_{I} X_{It}^{S} + \beta_{2} r_{t} + \mu_{t}^{S}$$
$$Q_{t} = \min(DD_{t}, SS_{t})$$
$$\Delta r_{t+1} = \gamma (DD_{t} - SS_{t})$$

$$Q_{t} = \alpha_{0} + \alpha_{1} X_{1t}^{D} + \alpha_{2} r_{t} - \frac{\Delta r_{t+1}^{+}}{\gamma} + \mu_{t}^{D} \quad \text{where} \quad \Delta r_{t+1}^{+} = \begin{cases} \Delta r_{t+1}, & \text{if } r_{t+1} > r_{t} \\ 0, & \text{otherwise} \end{cases}$$

$$Q_t = \beta_0 + \beta_1 X_{1t}^S + \beta_2 r_t - \frac{\Delta r_{t+1}^-}{\gamma} + \mu_t^S \quad \text{where} \quad \Delta r_{t+1}^- = \begin{cases} -\Delta r_{t+1}, & \text{if } r_{t+1} < r_t \\ 0, & \text{otherwise} \end{cases}$$



#### **Demand equation:**

$$Q_{t} = \alpha_{0} + \alpha_{1} \Delta LTV_{t} + \alpha_{2}ROE_{t}(LTV_{t}, r_{t}) + \alpha_{3}ROE_{t}(LTV_{t}, r_{t}) * (SSD_{t}) + \Delta r^{+}$$

$$\alpha_4 DSR10_t + \alpha_5 DSR12_t + \alpha_6 U_t + \alpha_7 CNY_t - \frac{\Delta r_{t+1}}{\gamma} + \mu_t^D$$

where

$$ROE = \frac{(V * GPR - L * r)}{E} = \frac{1}{1 - LTV}(GPR - LTV * r)$$

#### Supply equation:

$$Q_{t} = \beta_{0} + \beta_{1}\Delta LTV_{t} + \beta_{2}RAROC_{t}(r_{t}) + \beta_{3}PPG_{t} + \beta_{4}CD_{t} + \beta_{5}DSR10_{t} + \beta_{6}DSR12_{t} - \frac{\Delta r_{t+1}^{-}}{\gamma} + \mu_{t}^{S}$$

where

$$RAROC = \frac{(1-t)*(r-c)}{k}$$

### Indirect effect: Estimation result



	Model 1	Model 2	Model 3
Demand Equation			
Constant	0.030 ***	0.031 ***	0.031 ***
	[9.376]	[9.930]	[10.247]
$\Delta LTV$	0.0005	-0.0012	
	[0.035]	[-0.084]	
ROE(LTV,r)	0.013 ***	0.013 ***	0.013 ***
	[6.427]	[6.425]	[6.659]
ROE(LTV,r)*SSD	-0.015	-0.009	-0.011 **
,	[-1.344]	[-1.503]	[-2.148]
DSR10	0.003		
	[0.732]		
DSR12	-0.004	-0.004	
	[-0.708]	[-0.746]	
U	-0.153 ***	-0.168 ***	-0.166 ***
	[-2.830]	[-3.137]	[-3.166]
CNY	-0.007 ***	-0.007 ***	-0.007 ***
	[-2.902]	[-2.958]	[-2.918]
$-\Delta r_{t+1}^+$ (i.e., $1/\gamma$ )	3.138 **	3.069 **	3.041 **
	[2.428]	[2.449]	[2.354]
Adjusted $R^2$	0.323	0.345	0.348

#### Table 1: Estimation results for the demand and supply of mortgage loans

#### Indirect effect: Estimation result



	Model 1	Model 2	Model 3
Supply Equation			
Constant	0.017 ***	0.017 ***	0.016 ***
	[10.273]	[11.843]	[9.921]
ΔLTV	0.085 ***	0.073 ***	0.081 ***
	[3.761]	[3.453]	[3.579]
RAROC(r)	0.011	0.011 **	0.017 ***
	[1.445]	[2.081]	[2.674]
PPG	0.021 ***	0.023 ***	0.022 ***
	[3.375]	[3.696]	[3.513]
CD	0.070 ***	0.067 ***	0.068 ***
	[5.427]	[5.330]	[5.286]
DSR10	0.003		
	[0.991]		
DSR12	-0.013 **	-0.010 **	-0.013 **
	[-2.561]	[-2.139]	[-2.468]
$-\Delta r_{t+1}^{-}$ (i.e., $1/\gamma$ )	3.138 **	3.069 **	3.041 **
	[2.428]	[2.449]	[2.354]
Adjusted $R^2$	0.134	0.142	0.133

#### Table 1: Estimation results for the demand and supply of mortgage loans

Sample period: June 1999 - December 2012 [Figures in brackets are t-statistics]

### Contribution of direct and indirect effects



$$P_{t}^{DSR} = \frac{\sum_{k=1}^{t} N_{k} \overline{L}_{k,t} I(\overline{DSR}_{k,t} > 0.6)}{\sum_{k=1}^{t} N_{k} \overline{L}_{k,t}}$$

- $P_t^{NE}$  = Proportion of mortgage loans with DSR > 0.6
- $N_k$  = Number of mortgage loans underwritten at time k
- $\overline{L}_{k,t}$  = Average loan amount outstanding at time *t* for those that were underwritten at time *k*
- $I(DSR_{k,t} > 0.6) =$  Indicator function for DSR ratio > 0.6 at time *t* for those that were underwritten at time *k*
- The indirect impact will be captured by a lower  $N_k \overline{L}_{k,t}$  during the upcycle of property markets.

### Contribution of direct and indirect effects



#### Estimated **stressed** delinquency ratio for mortgage loans under the actual and counterfactual scenarios



Scenarios	Estimated problem loan ratio at end-2014 (%)
1) Actual (both the direct and indirect effects)	$d_{A} = 0.95$
2) Only the direct effect	$d_{NI} = 0.98$
3) Only the indirect effect	$d_{\rm ND} = 2.03$
4) Counterfactual ("No policy")	$d_{\rm C} = 2.32$